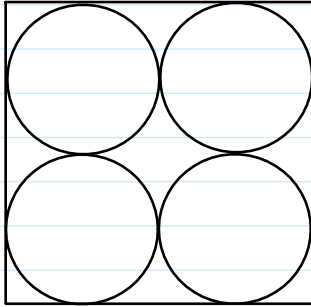


2.1.1

Tuesday, August 24, 2010  
12:51 PM

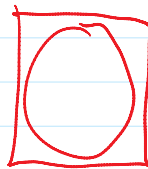
A cubical pattern of grain packing is shown below; grain sizes are uniform and each sphere touches all neighboring spheres. Determine the porosity of a sample with this type of grain packing. Does the porosity depend on the grain size?

$4 \cdot \frac{1}{8} = 0.5125$



$\frac{4}{3} \pi r^3 = \text{Volume}$

1 sphere  $r = 1 \text{ m}$



$V_{\text{Box}} = 2^3 \text{ m}^3 = 8 \text{ m}^3$

$\frac{4}{3} \pi r^3 = \frac{4}{3} \pi$

$\frac{4}{3} \cdot 3.1415 = 4.1887$

$1 - 4.1/8 = 0.4875$

2.2.1

Cubic Packing

Let's assume a cube containing  $n \times n \times n$  number of uniform spheres. Then, the porosity of this representative volume is given by

$$\alpha = \frac{v_i}{V} = \frac{(nD)^3 - \left( n^3 \left( \frac{4}{3} \pi \left( \frac{D}{2} \right)^3 \right) \right)}{(nD)^3} = 1 - \frac{\pi}{6} = 0.4764 = 47.64\%$$

The porosity for this type of grain packing does not depend on the grain size,  $D$ .

## 2.5.1

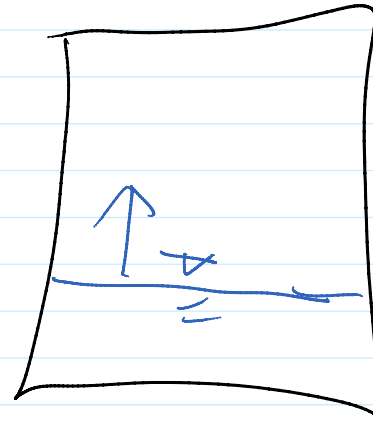
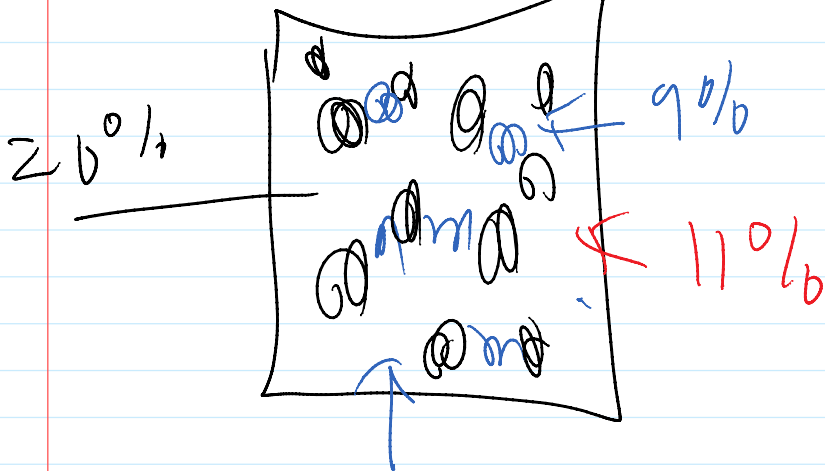
Thursday, August 26, 2010  
12:53 PM

Determine the water level rise in an unconfined aquifer produced by a seasonal precipitation of four inches. The aquifer's porosity is 20% and its specific retention is 9%.

Specific yield = porosity - specific retention  $0.2 - 0.09 = 0.11$

$$\frac{4''}{0.11}$$

$4/0.11 = 36.3636$  or about 3 feet



$4/0.11 = 36.3636$

The specific yield of the aquifer can be found using equation 2.10

$$S_y = \alpha - S_r = 0.20 - 0.09 = 0.11$$

and the water level rise can be found from equation 2.9

$$V = (A)(\Delta h) = \frac{w_y}{S_y} = \frac{(4 \text{ inches})(A)}{0.11}$$

$$\Delta h = 36.4 \text{ inches} \approx 3 \text{ ft}$$

2.5.3

Thursday, August 26, 2010  
12:54 PM

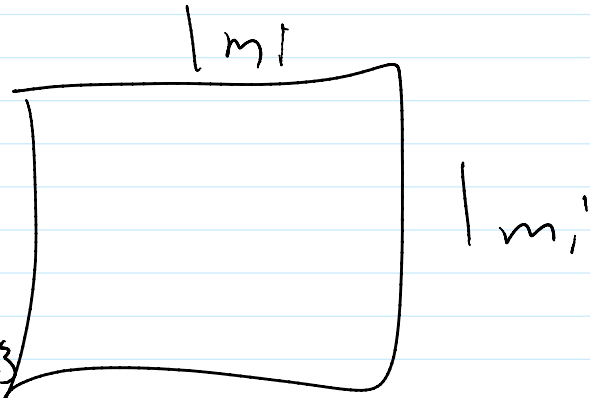
How much water can be produced by lowering the water table of an unconfined aquifer 7 ft over an area of 1 mile<sup>2</sup>? The aquifer's porosity and specific retention are 0.38 and 0.15

$$Q = S_r + S_y$$

$$S_y = 0.38 - 0.15 = 0.23$$

$$0.23 * 7 = 1.61 \text{ ft of water}$$

$$S_y = 0.38 - 0.15 = 0.23$$



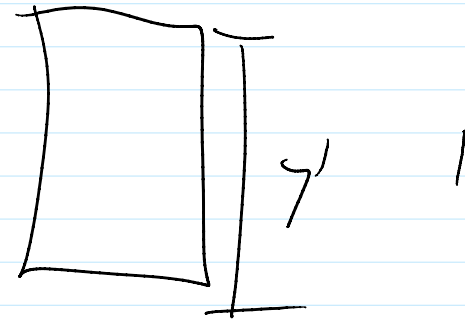
1.61 foot\*mile\*mile in acre\*feet

About 532,000 results (0.35 seconds)



**1.61 (foot \* mile \* mile) = 1 030.4 acre \* feet**

[More about calculator.](#)



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1.61 foot\*mile\*mile in feet^3

About 1,680,000 results (0.48 seconds)



**1.61 foot \* mile \* mile = 44 884 224 feet^3**

[More about calculator.](#)

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The specific yield of the aquifer is given by

$$S_y = \alpha - S_r = 0.38 - 0.15 = 0.23$$

Then, equation 2.9 can be used to estimate the volume of water released:

$$\begin{aligned}w_y &= S_y V = (0.23)(7 \text{ ft} \times 1 \text{ mile}^2) \\ &= (0.23)(7 \text{ ft} \times 2.788 \times 10^7 \text{ ft}^2) = 4.5 \times 10^7 \text{ ft}^3\end{aligned}$$

## 2.8.2

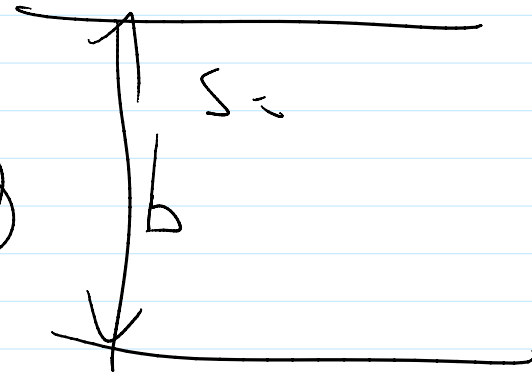
Thursday, August 26, 2010  
12:54 PM

The specific storage of a 45 m thick confined aquifer is  $3 \times 10^{-5}$  /m. How much water would the aquifer produce if the piezometric surface is lowered by 10 m over an area of a square kilometer?

$$S = S_s \cdot b = 3 \times 10^{-5} \cdot 45 = 0.0014$$

$$\text{Water produced} = 0.0014 \cdot 10 = 0.014 \text{ meters of water}$$

$$0.014 \cdot 1000 \cdot 1000 = 14000.0 \text{ cubic meters of water produced}$$



Not very much!

The relationship between specific storage and storage coefficient is

$$S_s = \frac{S}{b} \quad \text{where } b \text{ is the aquifer thickness.}$$

Thus,  $S = S_s b = (3 \times 10^{-5} \text{ m}^{-1})(45 \text{ m}) = 1.35 \times 10^{-3}$  and the volume of water released is given by

$$V = (A)(\Delta h)(S) = (1 \times 10^6 \text{ m}^2)(10 \text{ m})(1.35 \times 10^{-3}) = 13,500 \text{ m}^3$$